Announcement

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Parameters and Symbols for Use in Nuclear Magnetic Resonance (IUPAC Recommendations 1997)

Robin K. Harris, 1* Jozef Kowalewski² and Sonia Cabral de Menezes³

- ¹ Department of Chemistry, University of Durham, South Road, Durham DH1 3LE, UK
- ² Division of Physical Chemistry, Arrhenius Laboratory, Stockholm University, S-10691 Stockholm, Sweden
- ³ PETROBRAS/CENPES, Divisão de Quimica, Ilha do Fundão, Quadra 7, Cidade Universitaria, 21949 900 Rio de Janeiro, R.J., Brazil

ABSTRACT: NMR is now frequently the technique of choice for the determination of chemical structure in solution. Its uses also span structure in solids and mobility at the molecular level in all phases. The research literature on the subject is vast and ever-increasing. Unfortunately, many articles do not contain sufficient information for experiments to be repeated elsewhere, and there are many variations in the usage of symbols for the same physical quantity. It is the aim of the present recommendations to provide simple check-lists that will enable such problems to be minimized in a way that is consistent with general IUPAC formulation. The area of medical NMR and imaging is not specifically addressed in these recommendations, which are principally aimed at the mainstream use of NMR by chemists (of all subdisciplines) and by many physicists, biologists, materials scientists and geologists, etc., working with NMR. The document presents recommended notation for use in journal publications involving a significant contribution of nuclear magnetic resonance (NMR) spectroscopy. The recommendations are in two parts: (A) experimental parameters which should be listed so that the work in question can be repeated elsewhere; and (B) a list of symbols (using Roman or Greek characters) to be used for quantities relevant to NMR.

A. NMR EXPERIMENTAL PARAMETERS FOR REPORTING IN PUBLICATIONS

1. Introduction

The aim of this list is to introduce a degree of uniformity in the way in which NMR results are reported in chemical journals, so as to ensure that experiments can be precisely repeated. It is to be regarded as a minimal list, though not all parameters are relevant to a given experiment. It should be noted that sample condi-

tions (e.g. solvent, concentration) are not part of the list, although clearly it is also essential for these to be specified.

2. General

- (a) The nucleus or nuclei studied.
- (b) The instrument manufacturer and model.
- (c) The resonance frequency or frequencies (preferably of the reference sample or samples).
- (d) The magnetic field [optional if frequencies are given].
- (e) The type(s) of pulse sequence.
- (f) The referencing procedure for obtaining chemical shifts (and/or relative shielding constants).
- (g) The size/nature of the sample tube/container.
- (h) The temperature of the sample at the time of the measurement.

3. Pulse conditions

- (a) The RF pulse magnetic field (or equivalent in frequency units) and/or equivalent 90° pulse duration. [Note the unambiguous word 'duration' rather than 'width' or 'length.']
- (b) The flip (nutation) angle(s) and relative phases of all pulses.

- * Editing member: R. K. Harris, Department of Chemistry, University of Durham, South Road, Durham DH1 3LE, UK. E-mail: r.k.harris@durham.ac.uk
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146 IUPAC

- (c) The spectral width (or dwell time if unambiguously defined).
- (d) The acquisition time (or number of acquired data points if the dwell time is given).
- (e) The number of transients (acquisitions).
- (f) The recycle delay. [Note: this implies the time interval following the completion of one cycle of a pulse sequence and the start of the next one, sometimes called a relaxation delay. This is distinct from a cycle time, which is the time between analogous points of successive pulse sequence cycles.]
- (g) Any other relevant time intervals.
- (h) The decoupling or double/multiple resonance method and conditons, including the RF magnetic field (or equivalent in frequency units and/or equivalent 90° pulse duration).
- (i) Pulse shapes and relevant frequencies (for experiments with selective pulses).
- (j) The magnitudes, directions, shapes and durations of any magnetic field gradients.

4. Processing parameters

- (a) Zero-filling extent.
- (b) Any window function (apodization, pre-acquisition delay, resolution enhancement, line broadening).
- (c) Any special baseline correction or phase adjustment procedures.
- (d) Any additional processing details, such as linear prediction or maximum entropy.
- (e) Any special procedures for signal quantification (e.g. deconvolution).

5. Solid-state spectra (additional requirements)

- (a) Contact time. [For cross-polarization operation.]
- (b) Sample rotation angle.
- (c) Sample rotation rate.
- (d) Use of special techniques such as DOR or DAS.

6. Relaxation measurements (additional requirements)

- (a) Number of measurement points used.
- (b) Analysis method (exponential, etc.).
- (c) Radiofrequency field magnitude (or equivalent expressed in frequency units). [For $T_{1\rho}$ measurements.]

7. Multi-dimensional spectra

- (a) The time increments and the number of data points and/or the spectral width and maximum duration of evolution periods must be given for each dimension, as well as the data size after processing.
- (b) For figures of multi-dimensional spectra, each axis should be unambiguously labelled by the variable

involved (e.g. $\delta_{\rm H}$, $\delta_{\rm C}$, $J_{\rm CH}$) where possible, as well as by a frequency label such as F_1 , F_2

8. Additional notes

- (a) Figures of spectra should have an indication of the direction of increasing frequency and the captions should state the nucleus involved. Wherever feasible, assignments of chemical shifts should be indicated on illustrated spectra.
- (b) Phase cycling of all r.f. pulses and of the receiver should be specified when crucial to the experiment.
- (c) For novel or unusual pulse sequences a timing diagram is highly recommended. If acronyms are used instead of diagrams for established sequences, a literature reference is recommended.

B. SYMBOLS FOR NMR AND RELATED QUANTITIES

(i) Roman alphabet

a or A	Hyperfine (electron-nucleus) coupling		
	constant		
$A_a^{(l,m)}$	The <i>m</i> th component of an irreducible		
1	tensor of order <i>l</i> representing the		
	nuclear spin operator for an inter-		
	action of type q		
\boldsymbol{B}	Magnetic field (strictly the magnetic		
	flux density or magnetic induction)		
\boldsymbol{B}_0	Static magnetic field of an NMR		
	spectrometer		
$\boldsymbol{B}_1, \boldsymbol{B}_2$	Radiofrequency magnetic fields associ-		
	ated with frequencies v_1, v_2		
$oldsymbol{B}_{ m L}$	Local magnetic field (components		
	B_{xL} , B_{yL} , B_{zL}) of random field or		
	dipolar origin		
C	Spin-rotation interaction tensor		
$C_{\mathbf{X}}$	Spin-rotation coupling constant of		
	nuclide X		
D	Dipolar interaction tensor		
D	Dipolar coupling constant between		
	two nuclei (say 1 and 2),		
	$(\mu_0/4\pi)\gamma_1 \gamma_2(\hbar/2\pi)r_{12}^{-3}$ in frequency		
- C	units (footnote 1).		
D^{C}	Nuclear receptivity relative to that of		
~	the carbon-13 nucleus		
D^{p}	Nuclear receptivity relative to that of		
	the proton (hydrogen-1 nucleus)		
E	Electric field strength		
F F	Spectral width		
F_1, F_2	The two frequency dimensions of a		
$(\operatorname{or} f_1, f_2)$	two-dimensional spectrum		
$\hat{m{c}}$	(use F_3 , etc., for higher orders)		
$oldsymbol{\hat{F}}_{ ext{G}}$	Nuclear spin operator for a group, G,		
	of nuclei (components \hat{F}_{Gx} , \hat{F}_{Gy} , \hat{F}_{Gz} ,		

F_{G}	Magnetic quantum number associated with \hat{F}_G	$R_1^{\mathbf{X}}$	Spin-lattice (longitudinal) relaxation rate constant for nucleus X
g	Nuclear or electronic g factor (Landé splitting factor)	R_2^{X}	Spin-spin (transverse) relaxation rate constant for nucleus X
G	Magnetic field gradient amplitude	$R_{1 ho}^{ m X}$	Spin-lattice relaxation rate constant
H_{ij}	Element of matrix representation of	$\kappa_{1 ho}$	in the rotating frame for nucleus X
n_{ij}	Hamiltonian operator (in energy	C	Signal intensity
	units); superscripts indicate the nature	S Ŝ	Electron (or, occasionally, nuclear)
		S	
î	of the operator	4 4	spin operator; cf. Î
$\widehat{m{I}}_{j}$	Nuclear spin operator for nucleus j (components \hat{I}_{jx} , \hat{I}_{jy} , \hat{I}_{jz})	t_1, t_2	Time dimensions for two-dimensional NMR
\widehat{I}_{j+} , \widehat{I}_{j-}	'Raising' and 'lowering' spin operators for nucleus j	$T_{ m c}$	Coalescence temperature for signals in an NMR spectrum
I_j	Magnetic quantum number associated	T_1^{X}	Spin-lattice (longitudinal) relaxation
1 j	with \hat{I}_i	1 1	time of the X nucleus (further sub-
J	Indirect coupling tensor		scripts refer to the relaxation
^{n}J	Nuclear spin–spin coupling constant		mechanism)
J	through n bonds (usually given in fre-	T_2^{X}	Spin-spin (transverse) relaxation time
	quency units). Parentheses may be	1 2	of the X nucleus (further subscripts
	used (for example) to indicate the		refer to the relaxation mechanism)
	species of nuclei coupled, e.g. $J(^{13}C,$	T_2^*	,
	¹ H) or, additionally, the coupling	1 2	Net dephasing time for M_x or M_y (including contribution from magnetic
	path, e.g. $J(POCF)$. Where no ambi-		field inhomogeneity)
		$T_{1 ho}^{ m X}$	Spin-lattice relaxation time of the X
	guity arises, the elements involved can	$I_{1\rho}$	nucleus in the frame of reference rotat-
	be, alternatively, given as subscripts,		
	e.g. J_{CH} . The nucleus of higher mass	T	ing with B_1
T ()	should be given first	$T_{ m d}$	Pulse (recycle) delay
$J(\omega)$	Spectral density of fluctuations at	$T_{ m ac} \ T_{q}^{(l,m)}$	Acquisition time
	angular frequency ω . Subscripts and	$I_{q}^{(r,)}$	The <i>m</i> th component of an irreducible
	superscripts to J may be used to indi-		tensor of order <i>l</i> representing the
	cate the relevant quantum number	17	strength of an interaction of type q
	change (0, 1 or 2) or the order and	V	Electric field gradient tensor. $V = eq$,
	component of the relevant tensor	T7	where e is the elementary charge
n T .7	quantities.	$V_{lphaeta}$	Elements of Cartesian electric field
${}^{n}K$	Reduced nuclear spin-spin coupling	*** *** ***	gradient tensor
	constant (see the notes concerning ^{n}J),	W_0, W_1, W_2	Relaxation rate constants (transition
_	$K_{jk} = 4\pi^2 J_{jk}/h\gamma_j\gamma_k$		probabilities per time) between energy
\boldsymbol{L}	Angular momentum		levels differing by 0, 1, and 2
m_{j}	Eigenvalue of \hat{I}_{jz} (magnetic com-		(respectively) in m_{tot} ; especially, but
	ponent quantum number) (footnote 2)		not uniquely, for systems of two
$m_{ m tot}$	Total magnetic component quantum		spin-½ nuclei
	number for a spin system (eigenvalue	$W_{ m rs}$	Transition probability between spin
	of $\Sigma_j \hat{I}_{jz}$) (footnote 2)		states r and s
$m_{\text{tot}}(X)$	Total magnetic component quantum		
	number for X-type nuclei (footnote 2)		
M_0	Equilibrium macroscopic magne-	4m	
	tization per volume of a spin system in	(ii) Greek alp	habet
	the presence of \boldsymbol{B}_0		
M_x, M_y, M_z	Components of macroscopic magne-	α	Nuclear spin wavefunction
	tization per volume.		(eigenfunction of \hat{I}_{jz}) for the $m_I = +\frac{1}{2}$
\boldsymbol{M}_n	<i>n</i> th moment of spectrum $(M_2 =$		state of a spin- $\frac{1}{2}$ nucleus
	second moment, etc.)	$lpha_{ m E}$	The Ernst angle (for optimum
n_{α}, n_{β}	Populations of the α and β spin states		sensitivity)
λT	Total number of nuclei of a given type	R	Muelour onin wavefunction

α	Nuclear (eigenfunction		wavefunction the $m_I = +\frac{1}{2}$
	state of a spin	$-\frac{1}{2}$ nucleus	
$lpha_{ m E}$	The Ernst sensitivity)	angle (fo	or optimum
β	Nuclear	spin	wavefunction
	(eigenfunction state of a spin		the $m_I = -\frac{1}{2}$
$\gamma_{\mathbf{X}}$	Magnetogyric	ratio of nu	cleus X
δ_{X}	Chemical shift nucleus of el- the sample	ement X (p	ositive when

Q

Total number of nuclei of a given type

Electric field gradient tensor in units of the elementary charge (principal components q_{XX} , q_{YY} , q_{ZZ}) (see also V)

eQ is the nuclear quadrupole moment, where e is the elementary charge

per volume in the sample

IUPAC 148

its strength, γB_2 , for which the symbol

Resonance frequency for the nucleus

of element X in a magnetic field such

that the protons in tetramethylsilane

(TMS) resonate at exactly 100 MHz

Element of matrix representation of $\hat{\rho}$

Shielding tensor (footnotes 5 and

(Isotropic) shielding constant of

nucleus j. Usually given in ppm. Sub-

scripts may alternatively indicate con-

Components of shielding tensor σ

parallel and perpendicular to the sym-

 Ω_2 is recommended)

Density matrix

tributions to σ

Density operator

148	IUPAC				
	quency of the reference). Usually in ppm (footnote 3). Further information		metry axis (axially-symmetric case) (footnote 5)		
	regarding solvent, references or	$\hat{\sigma}$	Reduced density operator		
	nucleus of interest may be given by	τ	(i) Time between RF pulses (general		
	superscripts or subscripts or in parentheses.		symbol); (ii) lifetime in dynamic NMR usage		
Δn	Population difference between nuclear	$ au_{ m c}$	Correlation time for molecular-level		
	states (Δn_0 at Boltzmann equilibrium)	• •	motion, especially for isotropic molec-		
$\Delta\delta$	Change or difference in δ	_	ular tumbling Dwell time		
$\Delta v_{1/2}$	Full width in frequency units of a	$ au_{ extbf{d}}$			
$\Delta\sigma$	resonance line at half-height Anisotropy in σ [$\Delta \sigma = \sigma_{ZZ} - \frac{1}{2}(\sigma_{XX})$	$ au_{ m null}$	Recovery time sufficing to give zero signal after a 180° pulse		
	$+ \sigma_{YY}$] (footnote 4). (See also ζ)	$ au_{ m p}$	Pulse duration		
Δχ	(i) Susceptibility anisotropy ($\Delta \chi = \chi_{\parallel} - \chi_{\perp}$); (ii) difference in electronega-	$ au_{ m sc}$	Correlation time for relaxation by the scalar mechanism		
	tivities	$ au_{ m sr}$	Correlation time for spin-rotation		
$\boldsymbol{arepsilon}_0$	Permittivity of a vacuum		relaxation		
ζ	Anisotropy in shielding (footnote 4),	$ au_{\parallel}$, $ au_{\perp}$	Correlation times for molecular tum-		
	expressed as $\sigma_{ZZ} - \sigma_{\rm iso}$. (see also $\Delta \sigma$)		bling parallel and perpendicular to the		
η	(i) Nuclear Overhauser enhancement		symmetry axis (axially symmetric case)		
	(so that the nuclear Overhauser effect	χ	(i) Magnetic susceptibility (footnote 7);		
	is $1 + \eta$); (ii) tensor asymmetry factor		(ii) nuclear quadrupole coupling con-		
	(e.g. in σ); (iii) viscosity		stant $(\chi = e^2 q_{ZZ} Q/h)$		
κ	Skew of a tensor. (See also footnote 7)	$\omega_j, \omega_0, \omega_1, \omega_2$	As for v_j , v_0 , v_1 , v_2 but for angular		
heta	Angle, especially for that between a		frequencies		
	given vector and \boldsymbol{B}_0	arOmega	Span of a tensor		
μ	(i) Magnetic dipole moment	Ω_1 , Ω_2	R.f. magnetic fields, expressed in		
	(component μ_z along \mathbf{B}_0); (ii) electric		angular frequency units for a nucleus		
	dipole moment		of magnetogyric ratio γ ($\Omega_1 = -\gamma \mathbf{B}_1$,		
μ_0	Permeability of a vacuum		$\Omega_2 = -\gamma \boldsymbol{B}_2$		
$\mu_{ m B}$	Bohr magneton				
$\mu_{ m N}$	Nuclear magneton				
v_j	Larmor precession frequency of				
•	nucleus j (usually given in MHz)	Notes			
v_0	(i) Spectrometer operating frequency;				
	(ii) Larmor precession frequency	1. Note that co	infusion might arise when the so-called		
	(general, or of bare nucleus)	alphabet exp	ansion is used for D , since this includes		
v_1	Frequency of 'observing' RF magnetic	a term D whi	ch is not the dipolar coupling constant.		
	field B_1 (to be distinguished from its	2. M rather th	an m is frequently recommended, but		
	strength, γB_1 , for which the symbol	most NMR p	practitioners use m so as to avoid confu-		
	Ω_1 is recommended)	sion with ma	gnetization.		
v_2					

- not stated when values are quoted, this is largely ignored and a change of recommendation is under consideration.
- 4. $\zeta = 2\Delta\sigma/3$.
- 5. The symbols σ (and related terms for components), $\sigma_{j}, \ \sigma_{\parallel}, \ \sigma_{\perp}$ should refer to shielding on an absolute scale (for theoretical work). For shielding relative to a reference, symbols such as $\sigma_{\parallel}-\sigma_{\rm ref}$ should be
- 6. For tensors, doubled subscript capital letters X, Y and Z should generally be used for principal components, e.g. σ_{XX} , σ_{YY} and σ_{ZZ} for shielding. Alternatively, numerical subscripts may be used (e.g. σ_{11} , σ_{22} , σ_{33}).
- 7. The symbol κ may also be used for magnetic susceptibility, some authors reserving χ for unrationalized units.

 $\Xi_{\mathbf{X}}$

ê

 ρ_{ij}

 σ_j

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